The Heterogeneous Effects of Government Spending: It's All About Taxes

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These views are those of the authors and not necessarily those of the Board of Governors or the Federal Reserve System.

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 - o Distortionary taxes lead to even smaller output expansion (Baxter & King, 1993), (Uhlig, 2010)

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- + Recent work: HANK models
 (Bilbiie, 2019), (Auclert, Rognlie, & Straub, 2018), (Hagedorn, Manovski, & Mitman, 2019)
 - Distribution of mpc

What we do

This paper: Revisit this question, taking into account tax distribution

- o Who pays taxes to finance spending?
- o Does it matter for the aggregate effects of spending?
- o Key idea: Heterogeneous households respond differently to tax changes

What we find

Spending is more expansionary when financed with more progressive taxes

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- + An empirical result
 - o U.S. tax progressivity from 1913 to 2012
 - Spending shocks lead to an increase in tax progressivity
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What we find

Spending is more expansionary when financed with more progressive taxes

- + An empirical result
 - o U.S. tax progressivity from 1913 to 2012
 - Spending shocks lead to an increase in tax progressivity
 - o Larger spending multipliers in periods of higher progressivity
- + A model with heterogeneous agents can account for this fact
 - o Indivisible labor supply ightarrow elasticities decline with income
 - Lower mpc for wealthier households
 - o Higher taxes on richer households imply a smaller crowding-out

Outline

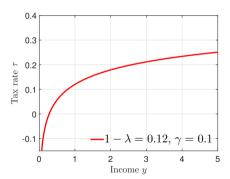
- 1) Evidence
- 2) Model
- 3) Multipliers and tax progressivity

Non-linear income tax:
$$\tau(y) = 1 - \lambda y^{-\gamma}$$

▶ More

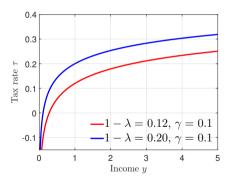
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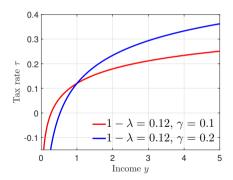
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→ More



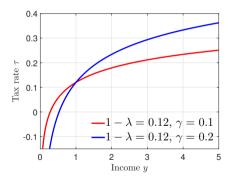
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→ More



Non-linear income tax: $\tau(y) = 1 - \lambda y^{-\gamma}$

(Heathcote, Storesletten & Violante, 2013), (Feenberg, Ferriere & Navarro, 2018)



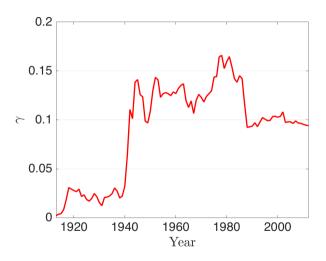
Compute γ for 1913-2012 as

$$\gamma = \frac{\mathit{AMTR} - \mathit{ATR}}{1 - \mathit{ATR}}$$

AMTR = average marginal tax rate. ATR = average tax rate



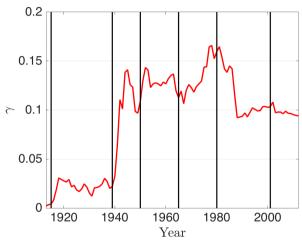
A century of U.S. tax progressivity



 $+ \ \, {\rm Substantial} \,\, {\rm variation} \,\, {\rm of} \,\, \gamma \,\, {\rm during} \\ 20 {\rm th} \,\, {\rm century}$

A century of U.S. tax progressivity





Notes: Vertical lines correspond to major military events: 1914:q3 (WWI), 1939:q3 (WWII), 1950:q3 (Korean War), 1965:q1 (Vietnam War), 1980:q1 (Soviet Invasion to Afrahaistan). 2001:33 (9/11).

- $+ \ \, {\rm Substantial} \,\, {\rm variation} \,\, {\rm of} \,\, \gamma \,\, {\rm during} \\ {\rm 20th} \,\, {\rm century}$
- $+ \ \, {\rm Changes} \ \, {\rm in} \ \, \gamma \ \, {\rm often} \ \, {\rm associated} \\ {\rm with \ \, military \ \, events} \\$

Average multipliers: local projection

o Linear case: Jorda (2005)

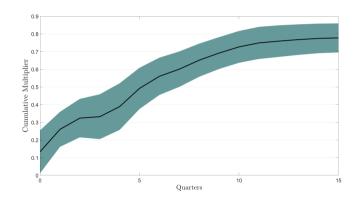
$$\sum_{j=0}^{h} y_{t+j} = A_h Z_{t-1} + \frac{m_h}{m_h} \sum_{j=0}^{h} g_{t+j} + \operatorname{trend} + \varepsilon_{t+h}$$

- where $y_{t+j}=rac{Y_{t+j}-Y_{t-1}}{Y_{t-1}}$ and $g_{t+j}=rac{G_{t+j}-G_{t-1}}{Y_{t-1}}$
- Control Z_t contains lags of: Y_t , G_t , and AMTR
- Instrument $\sum_{i=0}^{h} g_{t+h}$ with Ramey-Zubairy and Blanchard-Perotti shocks

- o Cumulative multiplier m_h at horizon h
- o Estimate response in change in taxes

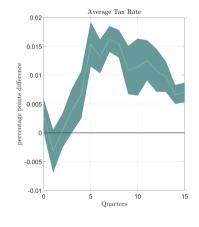


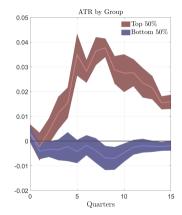
Effects of Government Spending: Linear Case



+ Average spending multiplier ≈ 0.8 after three years

Effects of Government Spending: Linear Case





- + Average spending multiplier ≈ 0.8 after three years
- + Average shock associated with an increase in taxes and its progressivity

Progressivity-Dependent multipliers: local projection

o Progressivity-dependent case: Ramey and Zubairy (2016)

$$\begin{split} \sum_{j=0}^{h} y_{t+j} &= \mathbb{I}\left(p_{t} = \mathsf{P}\right) \left\{A_{h,P} Z_{t-1} + m_{h,P} \sum_{j=0}^{h} g_{t+j}\right\} \\ &+ \mathbb{I}\left(p_{t} = \mathsf{N}\right) \left\{A_{h,R} Z_{t-1} + m_{h,N} \sum_{j=0}^{h} g_{t+j}\right\} + \mathsf{trend} + \varepsilon_{t+h} \end{split}$$

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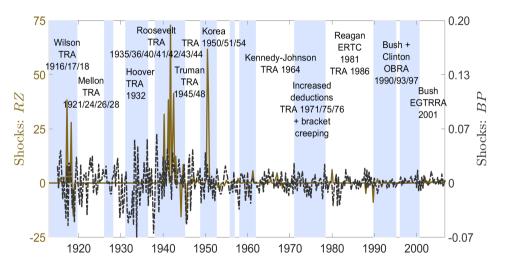
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- o Progressive $(p_t = P)$ if γ is higher on average during next 3 years
 - + Cumulative multiplier $m_{h,P}$, $m_{h,N}$
- o Instruments for spending:
 - + Ramey-Zubairy and Blanchard-Perotti shocks

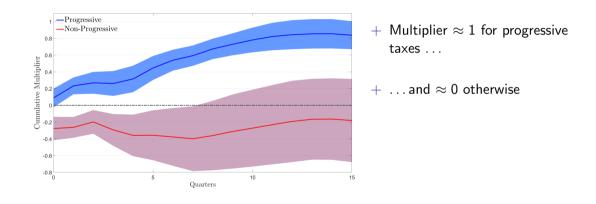
Progressivity Selection: in line with a narrative approach



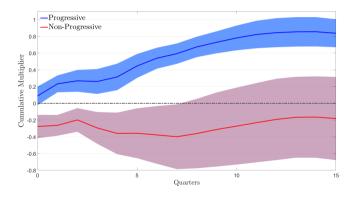


Notes: Spending shocks (left axis: Ramey; right axis: Blanchard Perotti) and states (shaded areas represent periods of more progressive taxes).

Effects of Government Spending: Progressivity-Dependent multipliers



Effects of Government Spending: Progressivity-Dependent multipliers



- + Multiplier ≈ 1 for progressive taxes . . .
- $+\ldots$ and ≈ 0 otherwise
- + A robust fining
 - $\rightarrow RZ$ or BP as instrument
 - \rightarrow Not due to path of deficits
 - → Expansion vs slack

Evidence: Main Takeaways

- 1) Average spending shock
 - + leads to an output expansion
 - + induces an increase in tax progressivity
- 2) Spending is more expansionary when financed with more progressive taxes

Model

HANK with indivisible labor

- + A continuum of **households**
 - o Bond economy with borrowing constraint
 - o Indivisible labor choice + idiosyncratic labor productivity shock
 - o Permanent diferences in discount factors β
- + **Firms** final-good, and intermediate-goods
 - Production using labor + monopolistic competition
 - o Quadratic cost of adjusting prices (Rotemberg, 1982)
- + **Government**: fiscal and monetary authorities
 - o Fiscal: spends G_t financed with debt and taxes
 - Monetary: policy rate set by a Taylor rule

Households

The value function of an household with productivity x and assets a is:

$$V_t(a,x,\beta) = \max_{c,a',h} \{ \log c - Dh + \beta \mathbb{E}_{x'} [V_{t+1}(a',x',\beta)|x] \}$$

subject to

$$c + a' \leq w_t x h + (1 + r_t) a - \tau_{kt} r_t a - \tau_t (w_t x h) + T_t + \delta_t(x)$$

$$h \in \{0, \bar{h}\}, \quad a' \geq 0$$

Tax progressivity will be captured by the shape of $\tau_t(y) = 1 - \lambda_t y^{-\gamma_t}$.

Dividend payments $\delta_t(x) = \bar{\delta}_t x$ (Farhi & Werning 2019)

Productivity follows an AR(1) process: $\log(x_{i,t+1}) = \rho_x \log(x_{i,t}) + \sigma_x \epsilon_{i,t+1}$.

Government and Firms

Government

- o Budget: $G_t + (1 + r_t)B_t + T_t = \int \{\tau_{kt}r_t a + \tau_t(w_t x h)\} d\mu_t(a, x) + B_{t+1}$
- o Taylor rule: $\ln\left(1+i_t\right)=\rho+\phi_\Pi\ln\left(\Pi_t/\bar{\Pi}\right)$

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- + Firms: final-good, and intermediate-goods + monopolistic competition
 - o Final-good: $y_t = (\int y_{jt}^{\frac{\epsilon-1}{\epsilon}})^{\frac{\epsilon}{\epsilon-1}}$, Intermediate-good: $y_{jt} = z n_{jt}$
 - o Quadratic adjustment cost in prices: $\frac{\Theta}{2} \left(\frac{P_{jt}}{P_{jt-1}} \bar{\Pi} \right)^2 Y_t$
 - o Phillips curve $\left(\Pi_t \bar{\Pi} \right) \Pi_t + \frac{\epsilon 1}{\Theta} = \frac{\epsilon}{\Theta} w_t + \frac{1}{1 + r_{t+1}} \left(\Pi_{t+1} \bar{\Pi} \right) \Pi_{t+1} \frac{Y_{t+1}}{Y_t}$

Calibration

- o Technology: $\epsilon = 7$, $\Theta = 200$ (Galí & Gertler, 1999)
- o Government:
 - + Capital tax $au_{\it k}=35\%$ (Chen, et al., 2009) & Progressive labor tax au=0.1 (Heathcote, et al. 2013)
 - + Spending G/Y = 15%, Transfers T/Y = 5%, Debt D/Y = 2.4
 - + Taylor rule: $ar{\Pi}=1$, and $\phi_{\Pi}=1.5$
- Household
 - + $\beta \in \{eta_L, eta_H\}$, fraction $\pi_L^eta \Rightarrow r=2\%$ and average mpc pprox 0.15 (Kaplan, et al. 2018)
 - + Disutility $D \Rightarrow \text{employment} \approx 75\%$
 - + Productivity $(\rho_x, \sigma_x) = (0.989, 0.287)$ (Chang et al. 2013)

▶ Distributions

Calibration key objects: Ipe and mpc

→ details

Calibration key objects: *lpe* and *mpc*

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+ Labor participation elasticities (*lpe*) decline with income

Table: Participation elasticity wrt after-tax labor income

- O $\,$ Av. $\, arepsilon < 1 \,$ (Chetty and al., 2011)
- O Range from 0.8 to 0 (Kleven & Kreiner, 2006) (Eissa & Liebman, 1996), (Meghir & Phillips, 2010), (Triest, 1990)

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- + Marginal propensities to consume (mpc) decline with wealth

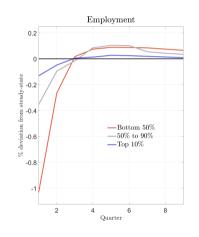
Table: propensity to consume out of \$500

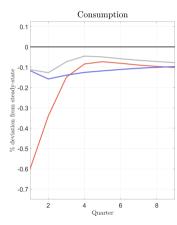
- o Av $\textit{mpc} \approx [0.15,~0.25]$ (Johnson, Parker & Souleles, 2011) (Kaplan & Violante, 2014) (Kaplan, Moll, & Violante, 2018)
- o Range from 0.50 to 0 (Misra & Surico, 2011) (Crawley & Kuchler, 2018)

Insightful Experiment: A Tax Shock

- + A 1% labor-tax increase, returns (quickly) at rate ho=0.5
- + Labor and consumption responses by income-groups

Insightful Experiment: A Tax Shock





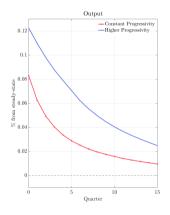
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- + Larger crowding-out at the bottom

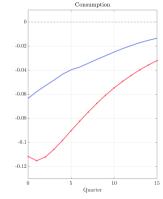
Model Evaluation Effects of Government Spending: It's All About Taxes

Multipliers and Progressivity: Model Experiment

- + At t = 0, G increases by 1% and returns to steady-state at rate $\rho_G = 0.9$
- + Financed with labor taxes
 - o Progressivty-dependent: $\gamma_t \gamma = \phi (G_t G)$
 - 1) Constant progressivity: $\phi = 0 \rightarrow \text{all households face higher taxes}$
 - 2) Higher progressivity: $\phi > 0 \rightarrow$ income top-25% of households face higher taxes
- Financed with *fiscal deficits*: estimated response of fiscal deficits

Multipliers are larger with more progressive taxes

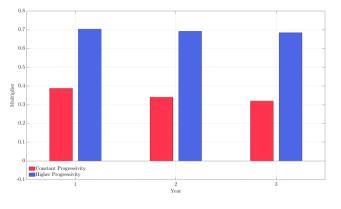




- + Spending is more expansionary under progressive taxes
- + crowding-out is reduced



Multipliers are larger with more progressive taxes



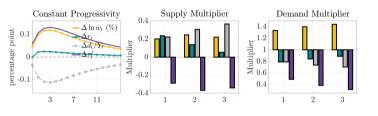
- + Spending is more expansionary under progressive taxes
- + crowding-out is reduced
- + Cumulative multipliers more than doubles after three years



+ Responses depend on sequences of prices, taxes, and dividends:

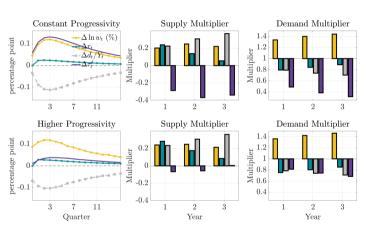
$$\{w_{t+j}, r_{t+j}, d_{t+j}, \tau_{t+j}\}_{j\geq 0}$$

- + Effect of feeding on sequence at a time: supply and demand
 - o Supply multiplier $Y_t^s = L_t\left(\left\{w_{t+j}, r_{t+j}, d_{t+j}, au_{t+j}\right\}_{j \geq 0}\right)$
 - o Demand multiplier $Y_t^d = C_t\left(\left\{w_{t+j}, r_{t+j}, d_{t+j}, au_{t+j}
 ight\}_{j \geq 0}\right) + G_t$



Constant progressivity

- + Wages increase labor and consumption . . .
- + ... Taxes decreases them

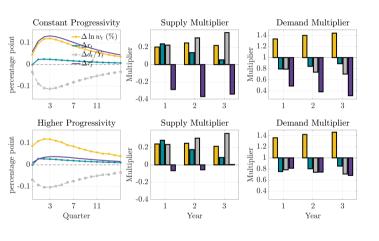


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Higher progressivity

- + {Wages, rate, div} same effect
- + Taxes effect minimized



- Constant progressivity
 - + Wages increase labor and consumption . . .
 - + ... Taxes decreases them
- Higher progressivity
 - + {Wages, rate, div} same effect
 - + Taxes effect minimized
- + Differences in multipliers comes from taxes

lpe and *mpc*: both matters

+ Two alternative calibrations: "flatter *lpe*" and "lower *mpc*"

Ipe and mpc: both matters

o "flatter lpe": Disutility $D\sim \mathrm{Gumbel}(\bar{D},\sigma_D^2)$. Increase σ_D^2

		<i>lpe</i> (i	ncome	quintile)
Benchmark	0.51	0.66	0.35	0.21	0.16
Flatter <i>lpe</i>	0.40	0.33	0.33	0.19	0.16

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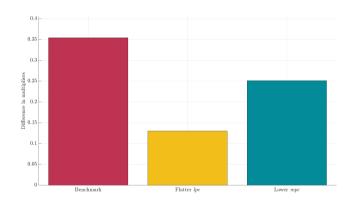
o "lower mpc": homogeneous β

	r	прс	(wealth	quintile)
Benchmark					
Lower mpc	0.10	0.09	0.07	0.05	0.04

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Ipe and mpc: both matters



- + Two alternative calibrations: "flatter *lpe*" and "lower *mpc*"
- + Diff in multipliers ≈ 0.35 benchmark calib
- + "flatter lpe" reduces diff in multipliers ≈ 0.13
- + "lower mpc" reduces diff in multipliers ≈ 0.25



Conclusions

- o Tax progressivity is crucial to spending multipliers
 - + "Who pays" matters! In the data, in the model
 - + Evidence: spending shocks are
 - on average: expansionary, and induce an increase in tax progressivity
 - more expansionary in progressive episodes
 - + Model: tax distribution shapes effects of spending
 - heterogeneity in *lpe* and *mpc* are key
- Future research
 - + Progressivity as business cycle stabilizer? (McKay & Reis, 2020)
 - + Optimal design of tax and transfers (Ferriere, Grübener, Navarro, Vardishvili, 2021)
 - + Estimates of tax progressivity across time and space (Feenberg, Ferriere, Navarro, 2018)

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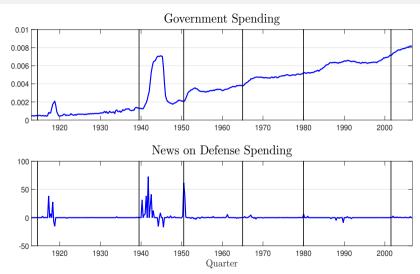
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Thank you!!

Appendix

Government spending measures



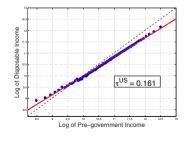


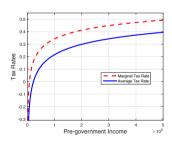
Notes: News variable is normalized by last quarter GDP. Source Ramey & Zubairy (2015). Vertical lines correspond to major military events.



Measurement of au^{US}

- PSID 2000-06, age of head of hh 25-60, N=12,943
- Pre gov. income: income minus deductions (medical expenses, state taxes, mortgage interest and charitable contributions)
- Post-gov income: ... minus taxes (TAXSIM) plus transfers





Tax progressivity estimate



- ► Tax function given by $\tau(y) = 1 \lambda y^{-\gamma}$
- ▶ Total tax $T(y) = \tau(y)y$ and marginal tax T'(y).

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- ► Simple algebra

$$\gamma = \frac{T'(y) - \tau(y)}{1 - \tau(y)}$$

- ► $AMTR = \int T'(y)$ from Barro & Redlick (2011) and Mertens (2015)
- ▶ $ATR = \int \tau(y)$ our computations using IRS data and Piketty & Saez (2003)'s income measure.

Average tax response: local projection

o Linear case: Jorda (2005)

$$au_{t+h} - au_{t-1} = A_h Z_{t-1} + eta_h \ln \left(rac{G_{t+h}}{H_{t-1}}
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- where τ_t = average tax rate
- Control Z_t contains lags of: Y_t , G_t , and AMTR
- Instrument In $\left(\frac{G_{t+h}}{G_{t-1}}\right)$ with Ramey-Zubairy and Blanchard-Perotti shocks
- Tax response β_h at horizon h



Households Distribution



Quintiles	1st	2nd	3rd	4th	5th
Share of Wealth					
- PSID Data	-0.01	0.00	0.03	0.11	0.87
- Model	0.00	0.01	0.05	0.16	0.78
Participation Rate					
- PSID Data	0.65	0.75	0.69	0.60	0.57
- Model	0.78	0.63	0.58	0.53	0.48

Wealth corresponds to liquid wealth, computed from SCF 1983. Employment statistics are from PSID 1984 survey. The statistics of "primary households" are those for household heads whose education was 12 years and whose age is 18 or above.

Tax Events - WWI





- Sixteen Amendment (1913) makes income taxation constitutional
- ▶ <u>WWI</u>: Tax Revenue Acts (TRA) of 1916, 1917 and 1918
 - + Top marginal tax rates increased from 15% in 1913 to 73% in 1918
 - + Increase was much steeper at the top of income distribution
 - Bottom marginal tax rates went from 2% to 4%.
 - + By 1919, income taxes became an important component
 - About 15% of American households paid any income tax (Brownlee, 2016)
 - Income (corporate + individual) taxes represented 2/3 of federal tax revenues (about 11% of GDP)

- ➤ Starting with TRA of 1932 (Hoover), top marginal tax rates increase almost every year during the 30s.
 - + TRA 1932, 1934, 1936, 1938. Marginal tax rates at the top increase from 25% to 70-79%
- ▶ TRA of 1940, 1941, 1942, 1945 increases progressivity even further
 - TRA 1940 increases corporate income taxes from 19% to 33%
 - TRA 1941 and 1942 increases top marginal tax rates from 70 79% to 85 94%.
 - Taxes at the bottom also increases, from 4% to 10% in 1941 and 10% to 20% in 1942

Tax Events - Korea (Truman)





- ▶ TRA 1948: top marginal taxes decreased from $\sim 90\%$ to $\sim 84\%$
- ► TRA 1950 & 1951: top marginal taxes returned to their WWII level
- ► Taxes at the bottom are virtually not affected.

Tax Events - Vietnam





- ► TRA 1964: decreased marginal tax rates
- ▶ TRA 1968: increases taxes again to cover the Vietnam War expenses.
 - Tax increase of 10% for everyone in 1968. Temporary, one-time change.
 - Again by 2.5% in 1969 and 1970.

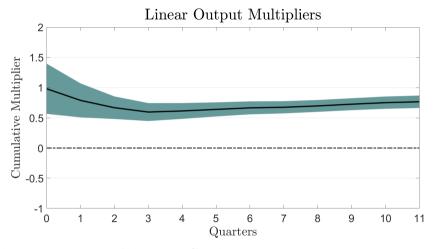




- ► Tax acts 1981 and 1986 reduce top marginal tax rate from 70% to 50% and then again to 35%.
- ▶ Elimination of brackets implies an increase in marginal tax rates at the bottom
- ► The change was meant to be revenue-neutral, and is the beginning of years of deficits.

Multipliers with RZ only – linear & across states

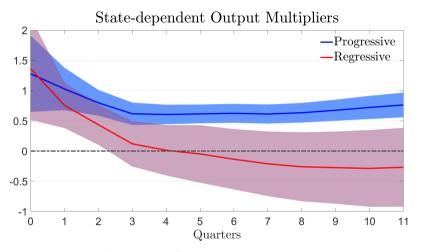




Notes: Local projection; data 1913-2006; confidence intervals: 68%; window: 12 quarters.

Multipliers with RZ only – linear & across states

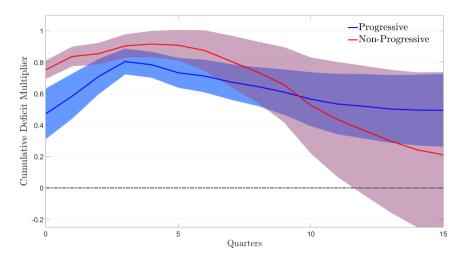




Notes: Local projection; data 1913-2006; confidence intervals: 68%; window: 12 quarters.

Deficit Multipliers across states





Notes: Local projection; data 1913-2006; confidence intervals: 68%; window: 12 quarters.



o Deficit Multipliers: similar as before

$$\begin{split} \sum_{j=0}^{h} d_{t+j} &= \mathbb{I}\left(s_{t} = \mathsf{P}\right) \left\{A_{h,P} Z_{t-1} + m_{h,P}^{d} \sum_{j=0}^{h} g_{t+j}\right\} \\ &+ \mathbb{I}\left(s_{t} = \mathsf{R}\right) \left\{A_{h,R} Z_{t-1} + m_{h,R}^{d} \sum_{j=0}^{h} g_{t+j}\right\} + \mathsf{trend} + \varepsilon_{t+h} \end{split}$$

- where $d_{t+j} = rac{D_{t+j} D_{t-1}}{Y_{t-1}}$ and D_t is fiscal deficit
- Same controls Z_t as before
- o m_h^d measures deficits response to a \$1 increase in spending

LPM Robustness



	1-y	ear integ	gral	2-year integral		3-year integ		gral	
	PR	RE.	p	PR	RE.	p	PR	RE.	p
Slack									
 expansion 	0.35	-0.86	0.00	0.63	-0.66	0.01	0.86	-0.63	0.07
	(0.12)	(0.32)		(0.16)	(0.56)		(0.24)	(0.97)	
- slack	0.49	1.82	0.16	0.58	-5.81	0.18	0.82	-6.30	0.16
	(0.19)	(0.94)		(0.22)	(4.41)		(0.21)	(5.04)	
Period									
- 53:q1-06:q4	2.08	0.25	0.04	2.95	0.33	0.00	2.93	0.90	0.00
	(0.68)	(0.54)		(0.74)	(0.42)		(0.62)	(0.39)	
- 13:q1-12:q4	0.26	-0.30	0.01	0.59	-0.36	0.00	0.82	-0.22	0.00
	(0.15)	(0.19)		(0.12)	(0.38)		(0.16)	(0.46)	

Government and Supply side

+ Government

- o Budget: $G_t + (1 + r_t)B_t + T_t = \int \{\tau_{kt}r_t a + \tau_t(w_t x h)\} d\mu_t(a, x)$
- o Taylor rule: $\ln\left(1+i_t\right)=\rho+\phi_\Pi\ln\left(\Pi_t/\bar{\Pi}\right)$

+ Supply side

- o Linear technology: $y = zn_{it}$
- o Quadratic adjustment cost in prices: $\frac{\Theta}{2} \left(\frac{P_{jt}}{P_{jt-1}} \bar{\Pi} \right)^2 Y_t$
- o Phillips curve: $\left(\Pi_t \bar{\Pi}\right)\Pi_t + \frac{\epsilon 1}{\Theta} = \frac{\epsilon}{\Theta}w_t + \left(\Pi_{t+1} \bar{\Pi}\right)\Pi_{t+1}\frac{Y_{t+1}}{Y_t}$

▶ return

Government and Firms

+ Government

- o Budget: $G_t + (1 + r_t)B_t + T_t = \int \{\tau_{kt}r_t a + \tau_t(w_t x h)\} d\mu_t(a, x)$
- o Taylor rule: $\ln (1 + i_t) = \rho + \phi_{\Pi} \ln (\Pi_t / \bar{\Pi})$
- + Firms: final-good, and monopolistic intermediate-goods producers
 - o final-good: $y_t = (\int y_{jt}^{\frac{\epsilon-1}{\epsilon}})^{\frac{\epsilon}{\epsilon-1}}$, intermediate-good: $y_{jt} = z n_{jt}$
 - o Quadratic adjustment cost in prices: $\frac{\Theta}{2} \left(\frac{P_{jt}}{P_{jt-1}} \bar{\Pi} \right)^2 Y_t$
 - Phillips curve

$$\left(\Pi_{t} - \bar{\Pi}\right)\Pi_{t} + \frac{\epsilon - 1}{\Theta} = \frac{\epsilon}{\Theta}w_{t} + \frac{1}{1 + r_{t+1}}\left(\Pi_{t+1} - \bar{\Pi}\right)\Pi_{t+1}\frac{Y_{t+1}}{Y_{t}}$$

Computing *lpe* and *mpc* in the model



o Simulate a panel, annual frequency, and estimate lpe as b_1 (Rogerson and Wallenius, 2009)

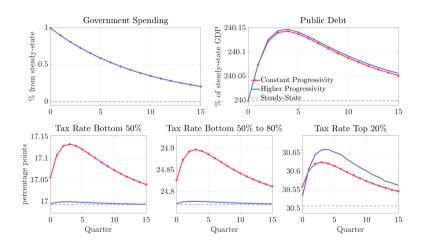
$$\ln h_{in} = b_0 + b_1 \ln \tilde{w}_{in} - b_2 \ln c_{in} + \epsilon_{in}$$

 $h_{in} = \text{hours worked}, \ \tilde{w}_{in} = \text{after tax wage}, \ c_{in} = \text{consumption (all annual)}$

o mpc computed from consumption change to a \$500 rebate.

Model Experiment: debt and taxes





Ipe and mpc: both matters



+ "Flatter *lpe*" calibration: preference shock w/ higher variance

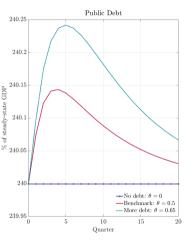
			lpe		
Income quintile	1	2	3	4	5
Benchmark	0.51	0.66	0.35 0.33	0.21	0.16
Flatter <i>lpe</i>	0.40	0.33	0.33	0.19	0.16

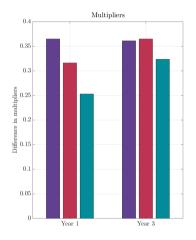
+ "Lower mpc" calibration: homogeneous β

			mpc		
Wealth quintile	1	2	3	4	5
Benchmark	0.51	0.10	0.09	0.05	0.03
Lower mpc	0.10	0.09	0.07	0.05	0.04

Model Experiment: debt and taxes







- Progressive taxes always induce larger multipliers
- If no debt is used, progressive taxes produce even larger gains in multipliers

Elasticity of Taxable Income (in case Mark asks!)

- o Elasticity of taxable income (ETI) is estimated to be large for top-1% (Saez, 2004)
- o Response seems to be due to income-shifting without real economic effects.
- o Using 1993 tax reform and executive compensations, (Goolsbee, 2000) finds
 - + Short-run ETI > 1, but ETI ≈ 0 after a year.
 - + High short-run ETI from exercise of stock options by the highest-income executives
 - + ETI \approx 0 for conventional taxable compensations (salary and bonuses)
- o Saez, Slemrod, and Giertz (2012) conclude:

"There is no compelling evidence to date of *real* responses of upper income taxpayers to changes in tax rates" (original italics).